

reciTAL.

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Generative Cooperative Networks for Natural Language Generation

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Language GANs fall short

GANs are good for approximating continuous data distributions:



GANs for discrete data as text:

- No backpropagation from the discriminator to the generator :
 - **Reinforcement Learning** with Discriminator scores as Rewards
 - Noisy, Sparse and Moving Rewards
 - Existing language GANs are known to fall short (Caccia et al, 2020)

Cooperative Decoding

- → Use of the **discriminator** *D* **cooperatively with the generator** *p* for sampling texts
 - In Beam Search: DAS [Scialom et. al, 2020b], Discriminative EBM [Ranzato et al., 2019]
 - In MCTS: SelfGAN [Scialom et. al, 2021]
- → SelfGAN: Cooperative decoding can be useful for training via Expert Iteration



→ We show that sampling from $q(\tau) \propto p(\tau)D(\tau)$ can allow to ensure convergence (under usual assumptions and a **Reward-augmented Maximum Likelihood** process (RML) [Norouzi et al., 2016])

GAN vs RML-GAN



- 1) Sample M documents from generator p $y^i \sim p_{\theta}(y^i)$
- 2 Train the discriminator D_t
- (3) Train p with rewards from discriminator D on generated samples (policy gradient)

$$\theta \leftarrow \theta + \epsilon \frac{1}{M} \sum_{i=1}^{M} D_t(y^i) \nabla_\theta \log p_\theta(y^i)$$



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- Train p with rewards from discriminator
 D on generated samples (policy gradient)

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- 1 Sample documents from generator *p*
- 2 Train the discriminator D
- (3) Generate M samples from \hat{q}

$$\begin{array}{l} y^{i} \sim \hat{q}(y^{i}) \\ \hline \textbf{4} \end{array} \text{ Train p using weighted importance sampling} \\ \theta \leftarrow \theta + \epsilon \frac{1}{\sum\limits_{i=1}^{M} w^{i}} \sum\limits_{i=1}^{M} w^{i} \nabla_{\theta} \log p_{\theta}(y^{i}) \hspace{1mm} \text{with:} \hspace{1mm} w^{i} = \frac{q(y^{i})}{\hat{q}(y^{i})} \end{array}$$



(1) Sample M documents from generator p $y^i \sim p_\theta(y^i)$

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1 Sample documents from generator *p*

 $u^i \sim \hat{a}(u^i)$

- 2 Train the discriminator D
- ${f 3}$ Generate M samples from $\hat q$

$$\theta \leftarrow \theta + \epsilon \frac{1}{\sum\limits_{i=1}^{M} w^i} \sum\limits_{i=1}^{M} w^i \nabla_{\theta} \log p_{\theta}(y^i)$$
 with: $w^i = \frac{q(y^i)}{\hat{q}(y^i)}$

 $\Rightarrow \text{With } \hat{q} = p_{\theta}, \text{ we have:} \quad \theta \leftarrow \theta + \epsilon \frac{1}{Z_t} \sum_{i=1}^M D_t(y^i) \nabla_{\theta} \log p_{\theta}(y^i), \text{ where } Z_t = \sum_{i=1}^M p_{\theta}(y^i) D_t(y^i)$



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- → No scheduler required
- → Sampling closer to q allows to still improve results (state-of-the-art) !
 - Use of Monte-Carlo Tree Search guided by $p_{\theta}(y)D(y)$

Thank you for your attention ! Please check the paper for more details

